

ELECTRICITY PRICE FORECASTING USING LSTM

**J.Chandra Babu¹,V.Ramya², B.Tharun Kumar³, K.Reddy Prasanna⁴,
G.Srinivas Reddy⁵**

Assistant professor, student, Department of CSE, AITS, Tirupati

Abstract

Electricity Price Forecasting (EPF) is a branch of forecasting at the interface of electrical engineering, statistics, computer science, and finance that focuses on predicting prices in wholesale electricity markets for a whole spectrum of horizons. These range from a few minutes (real-time/intraday auctions and continuous trading); through days (day-ahead [DA] auctions); to weeks, months, or even years (exchange and over the counter traded futures and forward contracts). DA markets are the workhorse of power trading, particularly in Europe, and a commonly used proxy for “the electricity price”. The vast majority—up to 90%—of the EPF literature has focused on predicting DA prices. These are typically determined around noon during 24 uniform-price auctions, one for each hour of the next day. This has direct implications for the way EPF models are built.

Keywords: Electricity Price Forecasting, Spectrum, Machine Learning, Auctions, Intraday.

Introduction

Wholesale energy market price, also known as settlement point prices or dynamic tariff, was discussed in the early 1980s [1]. When the electricity market is compared with other commodities, the power trade exhibits multiple attributes: constant balance between production and consumption [2]; dependence of the load with seasonality at, weekly, and annual levels; and load and generation that are influenced by external weather conditions [3], neighboring markets [4], and other factors like fuel price [3]. In a deregulated power market such as the locational marginal pricing (LMP) based market, the prices are significantly influenced by the above-mentioned attributes. Electricity price forecasting has become a fundamental input to market participants' decision-making mechanisms. Generally, wholesale electricity prices are likely to be high during peak demand periods and low during off-peak demand periods [5,6]. The dynamic tariff or price is an inherent load management method for properly allocating resources, thus ensuring overall economic reliability [7]. The proposed ILRCN model consists of hybrid neural network architecture, i.e., LRCN, with In the case study section, the Electric Reliability Council of Texas (ERCOT) wholesale market price and its contributing factors such as load and weather conditions for the Houston region of Texas are considered to demonstrate the proposed ILRCN model. In summary, the main contributions of this paper are: A hybrid neural network architecture, i.e., LRCN, with an additional conditional error correction layer, is used for electricity price forecasting performance analysis with both hour and day ahead comparison is made. The practicality and feasibility of the proposed electricity price forecasting algorithm are compared to existing algorithms.

Related Work

1. Preliminaries:

1.1 Electricity market Price: There are two main types of electricity market prices: day-ahead market (DAM) price and real-time market (RTM) price [25]. In the day-ahead market, bids are submitted for interval hours of the operating day one day in advance, while real-time market bids are submitted only a couple of hours in advance. These bids are highly dependent on several factors, including the demand for the particular interval, demand response operating for the area, while real-time market bids are submitted only a couple of hours in advance. These bids are highly dependent on several factors, including the demand for the particular interval, demand response operating for the area, weather conditions, and bidding strategies for the participating players. These bids are defined per interval, i.e., every market player can submit bids or use default bids. Market operators use the

collected bids to compute the market settlement point price for each interval, as well as the generation schedule. Locational marginal pricing is used to price energy on the market in response to changes in supply and demand and the system's physical constraint (i) simply takes the electricity prices of day $d - 1$ as the forecasted electricity prices of day d when conducting real-time price prediction one day ahead, or (ii) simply takes the electricity prices of hour $t - 1$ as the forecasted electricity prices of hour t when conducting real-time price prediction one hour ahead. This naive method works best for short-term price forecasting (predictions over a short look-ahead period such as 15 min), where the electricity price has relatively less volatility and is unlikely to change substantially during consecutive short time intervals.

2. Long - Short term memory neural network :

Recurrent neural network (RNN) is another framework of DL, which uses the internal state to process a sequence of inputs [32]. Long short-term memory is an extended framework of RNN which can exhibit the temporal behavior of time series input data. LSTM is capable of learning long-term dependencies from time sequential data such as electricity prices. The fundamental equations of an LSTM network can be represented as follows: $ht = (1 - zt) * ht-1 + zt * ht$ (5) $zt = \sigma Wf [ht-1, xt] + bf$ where, xt is the network input; ht is the output state of the neuron from the LSTM network; $ht-1$ is the previous state of the neuron; zt computes the necessary information and removes the irrelevant data; σ is the sigmoid function; Wf is the weight function; and bf is the bias value. The price forecasting is classified into short-term, medium-term, and long-term forecasting. A short term ranges from one hour ahead to several hours ahead; a few hours to 1 week ahead forecasting is medium-term forecasting; and beyond that it is long-term forecasting. We focus on hour-ahead and day-ahead forecasting in this work. The proposed forecasting model can be formulated as: $MPt = Ft + E * t-1$ (7) where t is the current time interval; MPt is the forecasted market price by the proposed ILRCN model; Ft is the price forecasted by the hybrid neural network model, LRCN, that is explained in Section 4.2; and $E * t-1$ is the electricity price forecasting error correction component from the previous time interval and is also referred to as the calibrated value that is defined in Section 4.3. The $E * t-1$ aims to reduce forecasting errors that are partially due to insufficient details/features contributing to energy price in the dataset under consideration. It can consider the prediction errors of a few previous time intervals. Figure 6 illustrates the flowchart of short-term electricity price forecasting using the proposed ILRCN model based on several prior hours of input data. The historical data is the input forming the initial stage for the establishment of the proposed ILRCN model. The linear and nonlinear behavior and characteristics of the input data are analyzed using the proposed ILRCN model. Input feature pre-processing is used to normalize, scale, and define the features from the input data to improve the accuracy of price forecasting. In order to tune the parameters of the model, optimization and hyper-parameter tuning method with cross-validation are utilized along with the LRCN model. Finally, the forecasted price coming from the proposed LRCN model is adjusted to incorporate the conditional error correction component; the desired output is then obtained in this study. The detailed explanation of the various components of the proposed ILRCN model is introduced in detail in the following subsections. Electricity prices are mainly affected by electrical demand, which varies over time depending on the season, weather, and generation cost. The performance of the proposed ILRCN electricity price forecasting model is verified using performance/evaluation metrics like mean absolute error and accuracy. Case studies reveal that the proposed ILRCN model shows the highest accuracy and efficiency in electricity price forecasting as compared to the support vector machine (SVM) model, fully connected neural network model, LSTM model, and the traditional LRCN model without the conditional error correction stage. In order to find the optimal network architecture, several combinations were evaluated. These combinations included networks with different number of hidden layers, different number of units in each layer and different types of transfer functions. We converged to a configuration consisting of a one hidden layer that uses a hyperbolic tangent sigmoid transfer function, defined as: $f(s) = \frac{1 - e^{-s}}{1 + e^{-s}}$ (1) where s is the weighted input of the hidden layer, and $f(s)$ is the output of the hidden layer. The output layer has only one unit with a pure linear transfer function. This configuration has been proven to be a universal

mapper, provided that the hidden layer has enough units [33]. On the one hand, if there are too few units, the network will not be flexible enough to model the data well and, on the other hand, if there are too many units, the network may overfit the data. Typically, the number of units in the hidden layer is chosen by trial and error, selecting a few alternatives and then running simulations to find out the one with the best results. Forecasting with neural networks involves two steps: training and learning. Training of feedforward networks is normally performed in a supervised manner. One assumes that a training set is available, given by the historical data, containing both inputs and the corresponding desired outputs, which is presented to the network.

3. System model: In the learning process a neural network constructs an input– output mapping, adjusting the weights and biases at each iteration based on the minimization of some error measure between the output produced and the desired output. Thus, learning entails an optimization process. The error minimization process is repeated until an acceptable criterion for convergence is reached. The knowledge acquired by the neural network through the learning process is tested by applying new data that it has never seen before, called the testing set. The network should be able to generalize and have an accurate output for this unseen data. It is undesirable to overtrain the neural network, meaning that the network would only work well on the training set, and would not generalize well to new data outside the training set [20]. Overtraining the neural network can seriously deteriorate the forecasting results. Also, providing the neural network with too much or wrong information can confuse the network and it can settle on weights that are unable to handle variations of larger magnitude in the input data.

The performance of the proposed ILRCN electricity price forecasting model is verified using performance/evaluation metrics like mean absolute error and accuracy.

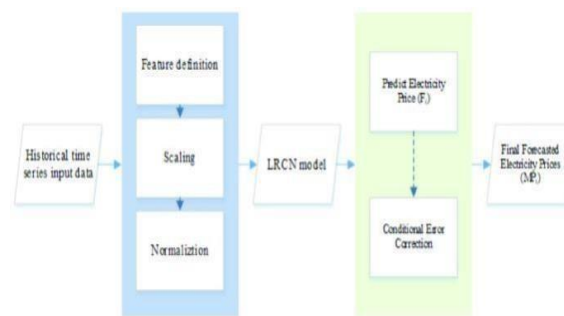


Fig 1: Short term electric price forecasting with ILRCN

Based on (4) to (6), the neural network model is employed to capture the relationship and the linear and nonlinear behavior within the input data. After the input processing stage, the processed data and the best subset of parameters containing the information obtained from input features are used in the proposed ILRCN model to forecast electricity prices. Figure 7 shows the structure of the proposed LRCN model, a hybrid neural network, which corresponds to the third block in Figure 6. The proposed

3.1 Conditional error correction term:

It is unlikely that the LRCN model can predict the outlier prices with high accuracy. The forecasting error can be substantial when there are great differences among the input data sets due to nonlinearities and spikes in the input data and when there is not sufficient information available for accurate prediction. To address this issue, we propose a novel conditional error correction term that is added to the price forecasted by the LRCN model to establish the price prediction. The predicted value of the electricity price from the model is compared with the actual value of the settlement point price obtained from ERCOT. Then, the calibrated value $E * t-1$ from (7) accounting for insufficient input features contributing to electricity price is formulated as follows:

$$E * t-1 = P_{t-1} - F_{t-1}$$

where P_{t-1} denotes the actual price of time interval $t - 1$; F_{t-1} is the forecasted price of the same time interval $t - 1$ by the proposed ILRCN model. Since the LRCN model can handle regular

electricity prices well, the proposed conditional error correction term will only be applied in scenarios wherein the electricity price is very high and the error of price forecasting in the previous time period is beyond the pre-specified threshold.

4.Results

The proposed forecast model is tested against the Texas electricity market, ERCOT, to validate its effectiveness and efficiency. The electricity price per hour is calculated by averaging the prices over four consecutive 15-min dispatches in the same hour. The prediction accuracies for the proposed ILRCN model and other benchmarking models are constructed for different error thresholds. Table 1 shows the accuracy percentages for hour-ahead and day-ahead forecasting using the naive method LSTM and LRCM Model explained in Section 3 for the test dataset.

Forecasting threshold(\$/MWh)	Actual price				
	SVR	FCN	LSTM	LCN	ILRCN
MAE	0.35	0.13	0.32	0.02	
MSE	0.31	0.05	0.02	0.01	
TIME	231	14.890			2246

TABLE: Accuracy percentage

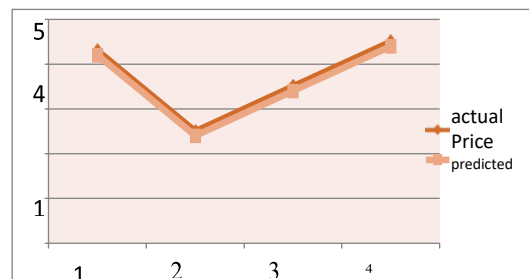


Fig: Actual Vs predicted price

5.Conclusion

The proposed ILRCN model predicts the electricity price with high accuracy and low error both hour-ahead and day-ahead as compared to the naive method, SVR, FCNN, LSTM, and LRCN models. The proposed conditional error correction term can further improve the prediction performance of the ILRCN model., the proposed ILRCN model outperforms both the traditional models and other neural network models, and it is proven to be an accurate and efficient model in settlement point price forecasting. Accurate price prediction also benefits utility companies when formulating their longterm strategies. paper may also be applied in other fields such as load forecasting and variable renewable generation forecasting.

6.References

1. Garcia, E.V.; Runnels, J.E. The utility perspective of spot pricing. IEEE Trans. Power Appar. Syst. 1985, 6, 1391–1393. [CrossRef]



2. Shahidehpour, M.; Yamin, H.; Li, Z. Market Overview in Electric Power Systems. *Market Operations in Electric Power Systems*; John Wiley & Sons, Inc.: New York, NY, USA, 2002; Chapter 1; pp. 1–20.
3. Wer Weron, R. Electricity price forecasting: A review of the state-of- the-art with a look into the future. *Int.J. Forecast.* 2014, 30, 1030–1081. [CrossRef]
4. Lago, J.; De Ridder, F.; Vrancx, P.; De Schutter, B. Forecasting day-ahead electricity prices in Europe: The importance of considering market integration. *Appl. Energy* 2018, 211, 890– 903. [CrossRef] Yu, R.; Yang, W.; Rahardja, S. A statistical demand- price model with its application in optimal real-time price. *IEEE Trans. Smart Grid.* 2012, 3, 1734–1742.
5. Qian, K.; Zhou, C.; Allan, M.; Yuan, Y. Modeling of load demand due to battery charging in distribution systems. *IEEE Trans. Power Syst.* 2011, 26, 802–810. [CrossRef]
6. Donahue, J.; Hendricks, L.A.; Rohrbach, M.; Venugopalan, S.; Guadarrama, S.; Saenko, K.; Darrell, T. Long-term Recurrent Convolutional Networks for Visual Recognition and Description. *IEEE Trans. Pattern Anal. Mach. Intell.* 2017, 39, 677–691. [CrossRef]
7. Feijoo, F.; Silva, W.; Das, T.K. A computationally efficient electricity price forecasting model for real time energy markets. *Energy Convers. Manag.* 2016, 113, 27–35. [CrossRef]
8. Kuo, P.H.; Huang, C.J. An electricity price forecasting model by hybrid structured deep neural networks. *Sustainability* 2018, 10, 1280. [CrossRef]
9. Nowotarski, J.; Weron, R. Recent advances in electricity price forecasting: A review of probabilistic forecasting. *Renew. Sustain. Energy Rev.* 2018, 81, 1548–1568. [CrossRef]
10. Amjady, N.; Hemmati, M. Energy price forecasting—Problems and proposals for such predictions. *IEEE Power Energy Mag.* 2006, 4, 209. [CrossRef]
11. McMenamin, J.S.; Monforte, F.A.; Fordham, C.; Fox, E.; Sebold, F.D.; Quan, M. Statistical Approaches to Electricity Price Forecasting. In *Pricing in Competitive Electricity Markets*; Springer: Boston, MA, USA, 2000; pp. 249–263.